1176-11-175 **Daniel Keliher*** (daniel.keliher@tufts.edu). Rank Growth of Elliptic Curves in S_4 Quartic Extensions.

We investigate the rank growth of elliptic curves from \mathbb{Q} to S_4 quartic extensions K/\mathbb{Q} . In particular, we are interested in the quantity $\operatorname{rk}(E/K) - \operatorname{rk}(E/\mathbb{Q})$ for fixed E and varying K. When $\operatorname{rk}(E/\mathbb{Q}) \leq 1$, with E subject to some other conditions, we prove there are infinitely many S_4 quartic extensions K/\mathbb{Q} over which E does not gain rank, i.e. such that $\operatorname{rk}(E/K) - \operatorname{rk}(E/\mathbb{Q}) = 0$. To do so, we show how to control the 2-Selmer rank of E in certain quadratic extensions, which in turn contributes to controlling the rank in families of S_4 quartic extensions of \mathbb{Q} . (Received January 21, 2022)