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**Paul Balister\*** ([paul.balister@maths.ox.ac.uk](mailto:paul.balister@maths.ox.ac.uk)), Mathematical Institute, Radcliffe Observatory Quarter, Woodstock Road, Oxford, OX2 6GG, United Kingdom, and **Bela Bollobas**, **Robert Morris**, **Julian Sahasrabudhe** and **Marius Tiba**. *Flat Littlewood polynomials exist.*

A Littlewood polynomial is a polynomial with all coefficients equal to  $+1$  or  $-1$ . Erdős (1957) and Littlewood (1966) asked if one could find  $\delta, \Delta > 0$  such that for all large  $n$  there exist Littlewood polynomials  $P(z)$  of degree  $n$  such that  $\delta\sqrt{n} \leq |P(z)| \leq \Delta\sqrt{n}$  for all complex  $z$  with  $|z| = 1$ . In this talk I will describe our proof of this conjecture, which uses recent results in discrepancy theory. (Received August 17, 2020)