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**Emily Hamilton\*** ([mhamil109@calpoly.edu](mailto:mhamil109@calpoly.edu)), California Polytechnic State University, 1 Grand Avenue, San Luis Obispo, CA 93407. *Separability of double cosets and conjugacy classes in  $n$ -manifold groups.*

In previous work with Wilton and Zalesskii we showed that if  $M$  is a hyperbolic 3-manifold of finite volume with fundamental group  $\Gamma$ , then double cosets of abelian subgroups of  $\Gamma$  are separable in  $\Gamma$ . As a consequence, we proved that fundamental groups of compact, orientable 3-manifolds are conjugacy separable. In this talk, we consider double coset separability of fundamental groups of hyperbolic  $n$ -manifolds for  $n \geq 2$ . We prove that if  $M$  is a closed hyperbolic  $n$ -manifold with fundamental group  $\Gamma$ ,  $H$  and  $K$  are abelian subgroups of  $\Gamma$ , and  $g \in \Gamma$ , then the double coset  $HgK$  is separable in  $\Gamma$ . We generalize this result to cocompact lattices in linear, semisimple Lie groups of (real) rank one. (Received February 25, 2020)