1158-13-146Hannah Altmann and Sean Sather-Wagstaff* (ssather@clemson.edu). Strongly
Tor-independent Modules over Local Rings. Preliminary report.

Let (R, \mathfrak{m}) be a local ring, and let M_1, \ldots, M_n be finitely generated *R*-modules that are strongly Tor-independent, i.e., such that $\operatorname{H}_{\geq 1}(M_{i_1} \otimes_R^{\mathbf{L}} \cdots \otimes_R^{\mathbf{L}} M_{i_t}) = 0$ for all $1 \leq i_1 < \cdots < i_t \leq n$. Gerko proved that if *R* is artinian, then the existence of such a sequence implies that $\mathfrak{m}^n \neq 0$. (A version when *R* is Cohen-Macaulay follows naturally.) We use DG algebra techniques to investigate the case where *R* is not Cohen-Macaulay. (Received February 28, 2020)