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*Percolation of finite clusters and infinite shielded paths.*

In independent bond percolation on  $\mathbb{Z}^d$  with parameter  $p$ , if one removes the vertices of the infinite cluster (and incident edges), for which values of  $p$  does the remaining graph contain an infinite cluster? Grimmett-Holroyd-Kozma used the triangle condition to show that for  $d \geq 19$ , the set of such  $p$  contains values strictly larger than the percolation threshold  $p_c$ . With the work of Fitzner-van der Hofstad, this has been reduced to  $d \geq 11$ . We reprove this result by showing that for  $d \geq 11$  and some  $p > p_c$ , there are infinite paths consisting of “shielded” vertices — vertices all whose adjacent edges are closed — which must be in the complement of the infinite cluster. Using numerical values of  $p_c$ , this bound can be reduced to  $d \geq 8$ . Our methods are elementary and do not require the triangle condition. (Received January 21, 2019)