1146-11-189 Joel Henningsen* (jah1728@jagmail.southalabama.edu) and Armin Straub (straub@southalabama.edu). Sequences Modulo Primes and Finite State Automata.
A sequence is $k$-automatic if its values $a(n)$ are determined by a finite-memory function of the base- $k$ digits of $n$. Rowland and Zeilberger describe two algorithms to obtain, given a sequence as a constant term of powers of Laurent polynomials, the finite state automaton describing its values modulo a power of $p$. We discuss and analyze these algorithms, and consider examples that include the Catalan numbers, the Motzkin numbers and other famous combinatorial sequences. In particular, we make a conjecture on the number of states of some of the resulting recurrence schemes. (Received January 21, 2019)

