## 1138-20-329 Mehrdad Kalantar\* (kalantar@math.uh.edu). Topological $\pi$ -boundary actions.

For each unitary representation  $\pi$  of a discrete group  $\Gamma$  we introduce a notion of topological  $\pi$ -boundary actions of  $\Gamma$ . We call the universal  $\pi$ -boundary, which is a unital invariant C\*-subalgebra of  $B(H_{\pi})$  (and does always exists), the Furstenberg-Hamana boundary of  $\pi$ . We show that this boundary satisfies the natural properties that are expected. In the case of quasi-regular representations, the Furstenberg-Hamana boundary is commutative, hence of the form C(X)for some compact  $\Gamma$ -space X, which should be thought of the "Furstenberg boundary of the quotient". We give several applications and examples.

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