On the largest component of the intersection graph of a random chord diagram.
A chord diagram of size $n$ is a pairing of $2 n$ points. When the points are placed on a circle, this gives $n$ chords. For a chord diagram $D$, its intersection graph is formed by taking the chords of $D$ as the vertices of the graph and creating an edge between two vertices whenever the corresponding chords cross each other. We study the largest component of $H_{n, m}$, where $H_{n, m}$ denotes the intersection graph of a uniformly random chord diagram with $n$ chords and $m$ crossings. We show that, with high probability, (i) the largest component contains almost all the edges and a positive fraction of all the vertices of $H_{n, m}$ when $m /(n \log n)$ tends to a limit in $\left(0,2 / \pi^{2}\right)$ and (ii) the size of the largest component is $O(\log n)$ when $m \leq n / 14$. Hence, if there is a threshold for the appearance of a giant (linear size) component, it must be of order $\Omega(n)$ and $O(n \log n)$. (Received February 11, 2018)

