Michael J. Mossinghoff* (mimossinghoff@davidson.edu), Davidson College, Box 6996, Davidson, NC 28035-6996. Constructing Reinhardt polygons. Preliminary report.
A Reinhardt polygon is a convex $n$-gon that is optimal in a number of geometric extremal problems in the plane, for example, they have maximal perimeter relative to their diameter. It is known that many distinct Reinhardt polygons exist with a fixed number of sides $n$, for almost every positive integer $n$. Some of these polygons exhibit a particular periodic structure and are relatively straightforward to generate; others are known as sporadic and are more challenging to construct. We describe a number of algorithms for constructing sporadic Reinhardt polygons with $n$ sides, which employ some properties of the principal ideal generated by the $2 n$th cyclotomic polynomial. Some of the methods we describe were investigated by students at a summer REU program at the Institute for Computational and Experimental Research in Mathematics. (Received January 15, 2016)

