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**J. Matthew Douglass\*** (mdouglas@nsf.gov). *A factorization of the  $T$ -equivariant  $K$ -theory of flag varieties.* Preliminary report.

Suppose  $G$  is a connected, reductive algebraic group,  $B$  is a Borel subgroup of  $G$ , and  $T$  is a maximal torus in  $B$ . Let  $P$  be a subgroup of  $G$  containing  $B$  and let  $L$  be the Levi subgroup of  $P$  that contains  $T$ . The natural projection from  $G/B$  to  $G/P$  is a fibration with fibre  $P/B \cong L/(B \cap L)$ . It can be shown that the cohomology of  $G/B$  factors as

$$(1) H^*(G/B) \cong H^*(G/P) \otimes_{H^*(\text{pt})} H^*(L/(B \cap L)),$$

where  $\text{pt}$  is a one point space. Drellich and Tymoczko have shown that the analog of (1) holds in  $T$ -equivariant cohomology, namely

$$(2) H_T^*(G/B) \cong H_T^*(G/P) \otimes_{H_T^*(\text{pt})} H_T^*(L/(B \cap L)).$$

They have also shown that their factorization is compatible with the forgetful functor to ordinary cohomology, and thus induces the factorization in (1). In this talk I will discuss the analog of (1) and (2) to a factorization

$$(3) K_T(G/B) \cong K_T(G/P) \otimes_{K_T(\text{pt})} K_T(L/(B \cap L))$$

in  $T$ -equivariant  $K$ -theory that is compatible with the forgetful functor to  $K$ -theory and passage to  $T$ -equivariant cohomology. This is joint work with Elizabeth Drellich. (Received January 18, 2016)