

1117-14-429

**William Graham** ([wag@math.uga.edu](mailto:wag@math.uga.edu)) and **Victor Kreiman\*** ([kreiman@uwp.edu](mailto:kreiman@uwp.edu)).

*Cominuscule points of Schubert varieties.* Preliminary report.

We define the notion of a cominuscule point of a scheme with torus action, and give formulas for the Hilbert series and multiplicity at cominuscule points. All  $T$ -fixed points of Schubert varieties in cominuscule  $G/P$  are cominuscule, but there are also  $T$ -fixed points of Schubert varieties in non-cominuscule  $G/P$  which are cominuscule. For example, for any  $G/P$  of type  $A$ , if  $x$  is a fully commutative Weyl group element, then  $xP$  is a cominuscule point of any Schubert variety containing it. In type  $A$ , we use pipe dreams both to identify cominuscule points and to evaluate the Hilbert series and multiplicity formulas. (Received January 18, 2016)