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**Byungchul Cha**, cha@muhlenberg.edu, **Daniel Fiorilli\***, daniel.fiorilli@uottawa.ca, and **Florent Jouve**, Florent.Jouve@math.u-psud.fr. *Chebyshev's bias for elliptic curves over function fields.*

Since Chebyshev's observation that there seems to be more primes of the form  $4n + 3$  than of the form  $4n + 1$ , many other types of 'arithmetical biases' have been found. Mazur and Sarnak observed such a bias in the count of points on reductions of a fixed elliptic curve  $E$ ; this bias is mainly created by the analytic rank. In this talk we will discuss the analogous question for elliptic curves over function fields. We will first discuss the occurrence of extreme biases, which originate from very different source than in the number field case. Secondly, we will discuss what happens to a 'typical curve', and discuss results of linear independence of the zeros of the associated  $L$ -functions. (Received January 05, 2016)