

1127-81-238

**Tianyuan Xu\*** ([tianyuan@uoregon.edu](mailto:tianyuan@uoregon.edu)), Department of Mathematics, University of Oregon,  
Eugene, OR 97403. *Based rings attached to generators of Coxeter groups.*

The asymptotic Hecke algebra  $J$  of a Coxeter group  $W$  is an associative algebra constructed from the Hecke algebra of  $W$  by G. Lusztig. The algebra  $J$  naturally has the structure of a *based ring* and appears as the Grothendieck ring of a tensor category associated to  $W$ . We study subalgebras  $J_s$  of  $J$  corresponding to the simple reflections of  $W$  and discuss two results. First, we show that all *fusion rings* appearing in the form  $J_s$  are isomorphic to the odd part of a *Verlinde algebra* of the Lie group  $SU(2)$ . Second, we show that for suitable choices of Coxeter groups and simple reflections, the algebras  $J_s$  are isomorphic to certain *free fusion rings*; this connects  $J$  and its associated tensor category to certain *partition quantum groups* arising from operator algebra theory. (Received February 04, 2017)