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Suppose R is a polynomial ring in n variables and I is a homogeneous ideal of height n in R so that R/I is an Artin Algebra. Let $\mu(I)$ denote the minimum number of generators for I . If the Hilbert function of R/I is of the form $(1, n, \binom{n}{2} + 1, \dots, 1 + \binom{n}{2}, n, 1)$ and further I_2 , the ideal generated by the n quadratic generators of I has height 1, then we show that there is an upper bound for the number of generators of I in terms of n and a height $n - 1$ Gorenstein ideal J contained in I . We say an ideal I is μ generic if $\mu(I)$ has this upper bound. We give some criterion when this is achieved and some consequences for the unimodality of Hilbert functions for a class of co-dimension three Artin algebras. (Received February 01, 2017)