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**Po-Shen Loh\*** (ploh@cmu.edu), **Michael Tait** and **Craig Timmons**. *Induced Turán numbers*.

The classical Kővári-Sós-Turán theorem states that if  $G$  is an  $n$ -vertex graph with no copy of  $K_{s,t}$  as a subgraph, then the number of edges in  $G$  is at most  $O(n^{2-1/s})$ . We prove that if one forbids  $K_{s,t}$  as an *induced* subgraph, and also forbids *any* fixed graph  $H$  as a (not necessarily induced) subgraph, the same asymptotic upper bound still holds, with different constant factors. This introduces a nontrivial angle from which to generalize Turán theory to induced forbidden subgraphs, which this paper explores. Along the way, we derive a nontrivial upper bound on the number of cliques of fixed order in a  $K_r$ -free graph with no induced copy of  $K_{s,t}$ . This result is an induced analog of a recent theorem of Alon and Shikhelman and is of independent interest. (Received February 07, 2017)