1127-05-181 Catherine Erbes* (erbescc@hiram.edu), Michael Ferrara, Ryan Martin and Paul Wenger. Stability of the Potential Function.
The potential number of a graph $H$, denoted $\sigma(H, n)$, is the minimum even integer such that any graphic sequence of length $n$ has a realization containing $H$ as a subgraph. This is the degree-sequence analogue of the extremal number, ex $(n, H)$. Inspired by Simonovits' classical result on the stability of the extremal function, we investigate a notion of stability for the potential number, called $\sigma$-stability. Unlike in Simonovits' result, we show that there are classes of graphs which are not $\sigma$-stable. We will give a sufficient condition for a graph to be $\sigma$-stable, and characterize the stability of those graphs $H$ which have an induced subgraph of order $\alpha(H)+1$ that contains exactly one edge. (Received February 02, 2017)

