

1120-37-104

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Let  $(\Omega, \mu)$  be a sigma-finite measure space. A classical Orlicz space  $L^\Phi = L^\Phi(\Omega, \mu)$  associated with an Orlicz function  $\Phi$  is a natural generalization of an  $L^p$ -space,  $1 \leq p < \infty$ , for which  $\Phi(u) = u^p$ ,  $u \geq 0$ . It is known that for a wide class of Orlicz functions  $\Phi$  and a Dunford-Schwartz operator  $T : L^1 + L^\infty \rightarrow L^1 + L^\infty$ , the inclusion  $T(L^\Phi) \subset L^\Phi$  holds, and Dunford-Schwartz individual ergodic theorem follows from its validity for the space  $L^1(\Omega, \mu)$ . We consider a non-commutative Orlicz space  $L^\Phi(\mathcal{M}, \tau)$  associated with a semi-finite von Neumann algebra  $\mathcal{M}$ , a faithful normal semi-finite trace  $\tau$  on  $\mathcal{M}$  and an Orlicz function  $\Phi$  satisfying  $(\delta_2, \Delta_2)$ -condition and establish a non-commutative version of Dunford-Schwartz individual ergodic theorem for  $L^\Phi(\mathcal{M}, \tau)$ . (Received February 16, 2016)