1108-05-176 David Galvin* (dgalvin1@nd.edu), Notre Dame, IN, and John Engbers, Milwaukee, WI. $H$-colouring trees. Preliminary report.
All trees on $n$ vertices admit the same number of proper $q$-colourings. But if we broaden our viewpoint a little, and consider, for each graph $H$, the number of $H$-colourings admitted by an $n$-vertex tree, we quickly reach a realm of open questions. [An $H$-colouring of a graph $G$ is an adjacency-preserving map from the vertices of $G$ to those of $H$; when $H$ is the complete graph on $q$ vertices, $H$-colouring and proper $q$-colouring coincide.]

Siderenko resolved the question of which $n$-vertex tree admits the greatest number of $H$-colourings. We describe a new proof of Siderenko's result (valid for large $n$ ) that admits extensions beyond the world of trees. In the other direction, we describe some progress on the fairly open question of determining which $n$-vertex tree admits the least number of $H$-colourings, extending a result of Prodinger and Tichy. (Received January 10, 2015)

