1126-05-139 Joshua E Ducey* (duceyje@jmu.edu) and Ian Hill. The critical group of the Kneser graph $K G(n, 2)$. Preliminary report.
Consider the graph with vertex set consisting of the 2 -subsets of an $n$-element set. A pair of 2 -subsets are adjacent when they are disjoint. This is the Kneser graph $K G(n, 2)$, and is a nice example of a strongly regular graph.

An interesting invariant that can be attached to any finite graph is a finite abelian group known as the critical group (or sandpile group). Some interesting properties of the graph are reflected in the structure of this group; in particular, the order of the critical group is the number of spanning forests of the graph.

In this talk we will compute the critical group of the graph $K G(n, 2)$ by applying some representation theory of the symmetric group. We will also give a combinatorial interpretation of the generators of a direct sum decomposition of the critical group. (Received January 09, 2017)

