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J. W. Neuberger* (jwn@unt.edu), UNT, Dept. Mathematics, 1155 Union Circle #311430, Denton, TX 76203-5017. *A Linear Condition Determining Local or Global Existence for a Nonlinear Semigroup of Transformations.*

Suppose X is a complete separable metric space and T is a strongly continuous semigroup of transformations on X . There are two notions of a generator for T , call the first one B , the conventional generator and the second one A , the Lie Generator. Roughly,

- $B = \{(x, y) \in X^2; |y = \lim_{t \rightarrow 0^+} \frac{1}{t}(T(t)x - x)\};$
- $A = \{(f, g) \in L(X)^2 | g(x) = \lim_{t \rightarrow 0^+} \frac{1}{t}(f(T(t)x) - f(x)), x \in X.$

where L denotes the set of bounded continuous real functions on X . Theorem. The semigroup T exists globally in time if and only if A has a positive eigenvalue. (Received August 18, 2015)