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**Mikel de Viana\***, School of Mathematics, Georgia Institute of Technology, 686 Cherry Street, Atlanta, GA 30332, and **Rafael de la Llave**. *Construction of whiskered invariant tori for fibered holomorphic dynamics via reducibility and almost reducibility.*

We consider fibered holomorphic dynamics generated by the skew product

$$F : \mathbb{C}^n \times \mathbb{T}^d \longrightarrow \mathbb{C}^n \times \mathbb{T}^d$$
$$F(z, \theta) = (f(z, \theta), \theta + \omega)$$

which has as base the irrational translation  $T_\omega$  on the torus  $\mathbb{T}^d$ .

$F$  has no fixed point nor a periodic orbit: The invariant object that organizes the dynamics is an invariant torus  $K : \mathbb{T}^d \rightarrow \mathbb{C}^n$ . Given an approximately invariant torus  $K_0$ , we construct an invariant torus  $K$ . The main technique is a KAM iteration in a-posteriori format.

The asymptotic properties of the derivative cocycle

$$A_{K_0}(\theta) := Df(K_0(\theta), \theta),$$

will play a crucial role. We assume that  $A_{K_0}$  is whiskered: There exists a splitting of  $\mathbb{C}^n$  in stable, unstable and central directions which are approximately invariant under  $A_{K_0}$ . In the central directions, we use the ideas of reducibility or almost-reducibility for  $A_{K_0}$ . Here we also encounter the lack-of-parameters problem, which we solve using an idea due to Moser. (Received August 24, 2015)