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**Flavia Colonna** and **Rachel Locke\***, 4400 University Drive, MS: 3F2, Exploratory Hall, room 4400, Fairfax, VA 22152. *Multiplication operators on the Zygmund space over a tree.*

In recent years, the operator theory of many functional Banach spaces that arise in complex function theory has been studied extensively. However, very little has been done in a discrete setting. An important class of operators to be discussed in this talk is the *multiplication operators*

$$M_\psi(f) = \psi f,$$

where  $\psi$  is a function defined on an infinite rooted tree  $T$  and  $f$  belongs to a functional Banach space with domain  $T$ . An environment for this study is a space  $\mathcal{Z}$  of functions on  $T$  such that  $f'$  belongs to the Lipschitz space  $\mathcal{L}$ , that is, satisfies

$$|f'(v) - f'(w)| \leq C d(v, w), \quad v, w \in T,$$

for some  $C > 0$ , where  $d(v, w)$  is the number of edges in the unique geodesic path from  $v$  to  $w$ . The space  $\mathcal{Z}$  may be considered as a discretization of the familiar Zygmund space of analytic functions on the open unit disk. The main focus of this talk will be on characterizing the bounded and the compact operators  $M_\psi$  and describing the spectra. (Received January 20, 2015)