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We consider the Dirichlet problem for the Laplacian on Euclidean domains, from which a spherical obstacle is removed, and attempt to place the obstacle so as to maximize or minimize $Z(t)$, the trace of the heat kernel.

For suitable domains we characterize the optimal placement of the obstacle inside a domain. We find that for each t the maximizing position of the center of the obstacle belongs to the "heart" of the domain, while the minimizing situation occurs either in the interior of the heart at a point where the obstacle is in contact with the outer boundary.

Similar statements hold for the spectral zeta function and the regularized determinant. (Received September 14, 2014)