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**Derek L Smith\*** (dls@math.ucsb.edu) and **Jun-ichi Segata**. *Propagation of regularity and persistence of decay for the fifth order Korteweg-de Vries equation.*

We consider solutions  $u = u(x, t)$  to the fifth order Korteweg-de Vries (KdV) equation

$$\partial_t u - \partial_x^5 u - 30u^2 \partial_x u + 20 \partial_x u \partial_x^2 u + 10u \partial_x^3 u = 0, \quad x, t \in \mathbb{R},$$

corresponding to initial data  $u_0(x) \in H^s(\mathbb{R})$ ,  $s > 5/2$ . Suppose that  $u_0$  is additionally contained in  $H^k(0, \infty)$ , that is, the function possesses  $k$ -derivatives when restricted to the half-line  $(0, \infty)$  for integer  $k > s$ . Then for positive times the solution also possesses  $k$ -derivatives on any half-line, i.e.  $u(\cdot, t) \in H^k(x_0, \infty)$  for all  $x_0 \in \mathbb{R}$ . In other words, certain singularities travel to the left with infinite speed. This propagation of regularity result was recently established for the  $k$ -generalized KdV equation by a modification of a technique used to prove Kato's local smoothing effect. We will also discuss persistence of one-sided polynomial decay, as well as an extension of both results to the KdV hierarchy. (Received September 01, 2015)