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**Persi Diaconis\*** ([diaconis@math.stanford.edu](mailto:diaconis@math.stanford.edu)). *The Kac-Murdoch-Szegő Theorem and the Heisenberg Group.*

In studying simple random walk on the Heisenberg group ( $3 \times 3$  uni-upper triangular matrices with entries in  $\mathbb{Z}$ ) a crop of large matrices needed to be diagonalized. Things like  $n \times n$  matrices with  $\cos((2\pi j)/n)$  down the main diagonal and ones on the super and sub diagonal. We find sharp bounds for the top (and bottom) eigenvalues and a nice description of the bulk of the spectrum. This is joint work with Dan Bump, Angela Hicks, Laurent Miclo, and Harold Widom. (Received August 25, 2015)