Stefania A.M. Marcantognini* (smarcant@ivic.gob.ve), Km. 11 Carretera Panamericana, Altos de Pipe, Caracas, Miranda, Venezuela. The dilation theorem of uniformly continuous semigroups of bounded operators. Preliminary report.

The talk concerns joint work with A. Méndez (Universidad Central de Venezuela).

We give a new proof of Davis Dilation Theorem: Given a uniformly continuous one-parameter semigroup $\{T(s)\}$ on a Hilbert space \mathfrak{H} , there exist a Krein space \mathfrak{H} containing \mathfrak{H} as regular subspace and a strongly continuous one-parameter group $\{U(s)\}$ of unitary operators on \mathfrak{H} such that $T(s) = P_{\mathfrak{H}}U(s)|_{\mathfrak{H}}$ for all $s \geq 0$ and $\mathfrak{H} = \bigvee \{U(s)\mathfrak{H} : s \in \mathbb{R}\}$. (C. Davies, Rev. Roum. Math. Pures et Appl., 1970.)

The arguments in the proof can be easily extended to the case of strongly continuous one-parameter semigroups with sectorial infinitesimal generators, as considered in (B. McEnnis, J. Operator Theory, 1990.) (Received February 11, 2014)