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Brandon Seward*, Department of Mathematics, 2074 East Hall, 530 Church St, Ann Arbor, MI 48109, and **Robin D. Tucker-Drob**, Department of Mathematics, Hill Center for the Mathematical Sciences, 110 Frelinghuysen Rd, Piscataway, NJ 08854. *Borel structurability on the 2-shift of a countable group.*

We show that for any infinite countable group G and for any free Borel action $G \curvearrowright X$ there exists a G -equivariant Borel map from X into the free part $\text{Free}(2^G)$ of $G \curvearrowright 2^G$. In fact, under a suitable notion of genericity, the generic equivariant Borel map into 2^G lands in the free part. This implies that if $G \curvearrowright \text{Free}(2^G)$ is treeable then all free Borel actions of G are treeable. Furthermore, it implies that $G \curvearrowright \text{Free}(2^G)$ has maximal Borel chromatic number among all free Borel actions of G , answering a question of Marks. (Received February 09, 2014)