Polygons in the cubic lattice are simple closed curves in three space and have well-defined knot types. The number of lattice polygons of length $n$ and knot type $K$ in the cubic lattice is $p_{n}(K)$, where we consider two polygons to be equivalent under translations in the lattice. For example, if $K$ is the unknot $\emptyset$, then $p_{4}(\emptyset)=3, p_{6}(\emptyset)=22, p_{8}(\emptyset)=207$ and so on. Determining $p_{n}(K)$ for arbitrary $n$ and knot types $K$ is a difficult numerical problem, but the GAS-algorithm implemented with BFACF-style elementary moves can be used for approximate enumeration of $p_{n}(K)$, and also to sieve minimal length knotted polygons. In this talk I shall present and review some entropic and other properties of minimal length lattice polygons obtained by an implementation of the GAS-algorithm in the cubic, fcc and bcc lattices.

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