

1078-30-326

**Austin Anderson\*** ([austina@hawaii.edu](mailto:austina@hawaii.edu)), 3810 Leahi Ave #104, Honolulu, HI 96815. *A Volterra type operator on  $H^\infty$ .*

The operator  $T_g$ , with symbol  $g$  an analytic function on the disk  $D$ , is defined by  $T_g f(z) = \int_0^z f(w)g'(w) dw, z \in D$ .  $T_g$  appears in a few different settings in complex analysis, relating to the John-Nirenberg inequality, semigroups of composition operators, and weak factorization of spaces of analytic functions. Characterizing operator theoretic properties, such as boundedness and compactness, of  $T_g$  on various spaces has attracted interest, and much is still unknown regarding this. A natural open question is to ask for a characterization of the symbols  $g$  for which  $T_g$  is bounded on  $H^\infty$ . We discuss possible answers to this question. (Received December 12, 2011)