1043-55-57 **Yves Felix**, Universite Catholique de Louvain, Louvain-la-neuve, Belgium, and **John Oprea\*** (j.oprea@csuohio.edu), Department of Mathematics, 2121 Euclid Ave., Cleveland State University, Cleveland, OH 44115. *Rational homotopy of gauge groups*.

Let  $K \to P \xrightarrow{\xi} B$  be a continuous principal K-bundle, where K is a compact connected Lie group. Denote by  $G(\xi)$  the gauge group of  $\xi$ : that is, the set of all K-equivariant self-homeomorphisms of P over B. Also, denote by  $G_1(\xi)$  the subgroup of  $G(\xi)$  consisting of the self-homeomorphisms that preserve the basepoint of P. When B has the homotopy type of a connected finite CW complex, we prove that there are rational homotopy equivalences

 $G(\xi) \simeq_{\mathbb{Q}} \operatorname{Map}(B, K)$  and  $G_1(\xi) \simeq_{\mathbb{Q}} \operatorname{Map}_*(B, K)$ .

As a corollary, we show that the rational homotopy groups of  $G(\xi)$  and  $G_1(\xi)$  may be described in terms of the rational homotopy groups of K and cohomology groups of B alone. (Received August 13, 2008)