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**Grigorios Paouris\*** (grigoris\_paouris@yahoo.co.uk), 2709 Wndwood Dr, College Station, TX 77845. *Small ball probability estimates for log-concave measures.*

Let  $A$  a  $n \times n$  matrix and  $\mu$  an isotropic log-concave probability measure that is  $\psi_2$  with some constant  $b$ . Then for every  $\epsilon \in (0, 1)$ , one has that

$$P(\|Ax - y\|_2 \leq \epsilon c_1 \|A\|_{HS}) \leq \epsilon^{\frac{c}{b^2}} \left( \frac{\|A\|_{HS}}{\|A\|_{op}} \right)^2 \quad (1)$$

where  $c, c_1 > 0$  are universal constants.

This answers a question posed to the author by N. Tomczak-Jaegermann. (Received August 18, 2008)