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Nikos Frantzikinakis* (frantzikinakis@gmail.com), University of Memphis, Department of mathematics, Memphis, TN 38152. *Hardy field configurations on dense subsets of the integers.*

We are going to discuss several new results related to what kind of patterns one can always find within sets of integers with positive density. For example if $a(t)$ is a function of polynomial growth that belongs to some Hardy field, then it turns out that if $a(t)$ is not a polynomial one can always find arithmetic progressions with common difference of the form $[a(n)]$. This is partly joint work with M. Wierdl. (Received February 03, 2009)